Inspired by Paul Groves

1. $\mathrm{aA}+\mathrm{bB}+\ldots \rightleftharpoons \mathrm{rR}+\mathrm{sS}+\ldots$

Law of Mass Action:
$K_{c}=\frac{[R]^{\mathrm{r}}[\mathrm{S}]^{\mathrm{s}} \cdots}{[\mathrm{A}]^{\mathrm{a}}[\mathrm{B}]^{\mathrm{b}} \cdots}$
and for gases:

$$
\mathrm{K}_{\mathrm{p}}=\frac{\left(\mathrm{P}_{\mathrm{R}}\right)^{r}\left(\mathrm{P}_{\mathrm{S}}\right)^{s}}{\left(\mathrm{P}_{\mathrm{A}}\right)^{\mathrm{a}}\left(\mathrm{P}_{\mathrm{B}}\right)^{\mathrm{b}}}
$$

2. $K>1$ Products Favored
$\mathrm{K}<1$ Reactant Favored
3. Excluded: solids, liquids including water in aqueous solutions.
Why: because their [ ]'s don't change
4. Convert Kc to Kp
$K p=K c(R T)^{\Delta n}$
Where $\Delta \mathrm{n}=$
mol of $(\mathrm{g})$ products - mol of $(\mathrm{g})$ reactants
5. Typical question: Given $\mathrm{K}_{\mathrm{C}}$ and the starting concentrations of reactants, find concentrations of products at equilibrium.

Example: $\mathrm{K}_{\mathrm{C}}$ for acetic acid $=1.8 \times 10^{-5}$.
What is the equilibrium concentration of $\left[\mathrm{H}^{+}\right]$ in a 0.100 M solution of the acid?
6. Relationship between modifying a chemical equation and the value of K

- Reverse a rxn = $1 / K_{\text {forward }}$
- Multiplying by a number " $n$ " $=K^{n}$
- Adding rxns $=\mathrm{K}_{\text {overall }}=\mathrm{K}_{1} \times \mathrm{K}_{2} \times \ldots$

7. Le Chatelier's Principle: effect of changes in concentration, pressure and temperature. Equilibrium always "shifts" away from what you add and towards what you remove. "Stress" means too much or too little: chemical, heat, or volume.

[^0]8. If NOT at equilibrium (or you don't know if at equilibrium or not): Calculate $Q$, the reaction quotient.

- Set up the same way as if calculating K
- If $K<Q$
- Numerator too large Denominator too small
- Too many products Not enough reactants
- Reverse rxn is favored to reach equilib.
- "Shift left"
- If $K>Q$
- Numerator too small Denominator too large
- Not enough products Too many reactants
- Forward rxn is favored to reach equilib.
- "Shift right."

9. ICE Box

Example: $A \rightleftharpoons 2 B+C$

|  | A | B | C |
| ---: | :---: | :---: | :---: |
| initial | 5.0 M | 0 M | 0 M |
| change | -x | +2 x | +x |
| equilibrium | $5.0-\mathrm{x}$ | 2 x | x |
|  |  |  |  |

"C" row follows the stoichiometry of the rxn
10. The $5 \%$ rule allows us to approximate

- K must be < 1
- Usually able to be used if $K$ is at least

1000 times smaller than [ ]initial

- x must be $\leq 5 \%$ of the [ ]initial
- If $5 \%$ rule doesn't work then use quadratic equation (not often seen on AP Exam)

$$
x=\begin{array}{r}
a x^{2}+b x+c=0 \\
\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}
\end{array}
$$

11. "Perfect Squares" are another way math is sometimes simplified.
$3 \times 10^{-6}=(x)(x) / 0.1 \quad$ take $\sqrt{ }$ of both sides and you get $1.73 \times 10^{-3}=x / 0.316$ now solving for x is super easy.

[^0]:    Based on a handout by William Bond, Snohomish HS
    Good for solving quadratic, cubic, etc for ICE Tables if no graphing calculator https://www.mathpapa.com/equation-solver/

